

FREEDM



SYSTEMS CENTER

Microgrid Control/Coordination Co-Design (MicroC3)

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Professors

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- Project Objectives
- Approach
- Co-design Overview
- Case study
- Future Work
- References

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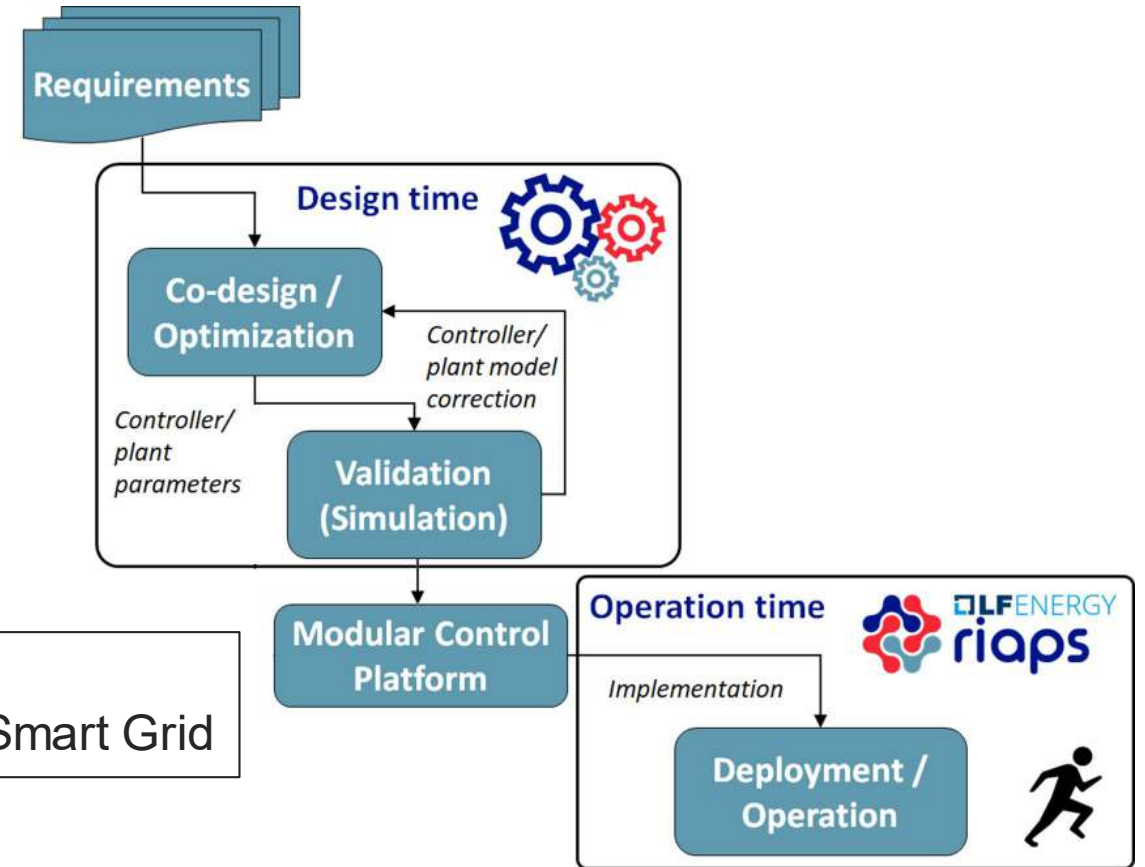
- Develop a toolsuite that systematically designs all aspects (plant & control) of a microgrid (MG), given a set of design objectives and performance constraints
- Tool predicts & achieves the desired MG performance & reliability metrics with significantly smaller and/or less capable & less expensive components.

Metric	State of the Art	Proposed
Stability/Damping	Oversized DER stabilizes system; no guarantee of stability	Right-sized components coordinate to achieve stability; guarantee of stability
Reliability/Contingency planning	Achieved through redundancy/oversizing	Achieved through resource coordination and control
Plug & Play	Small generators/loads	Any generator/load

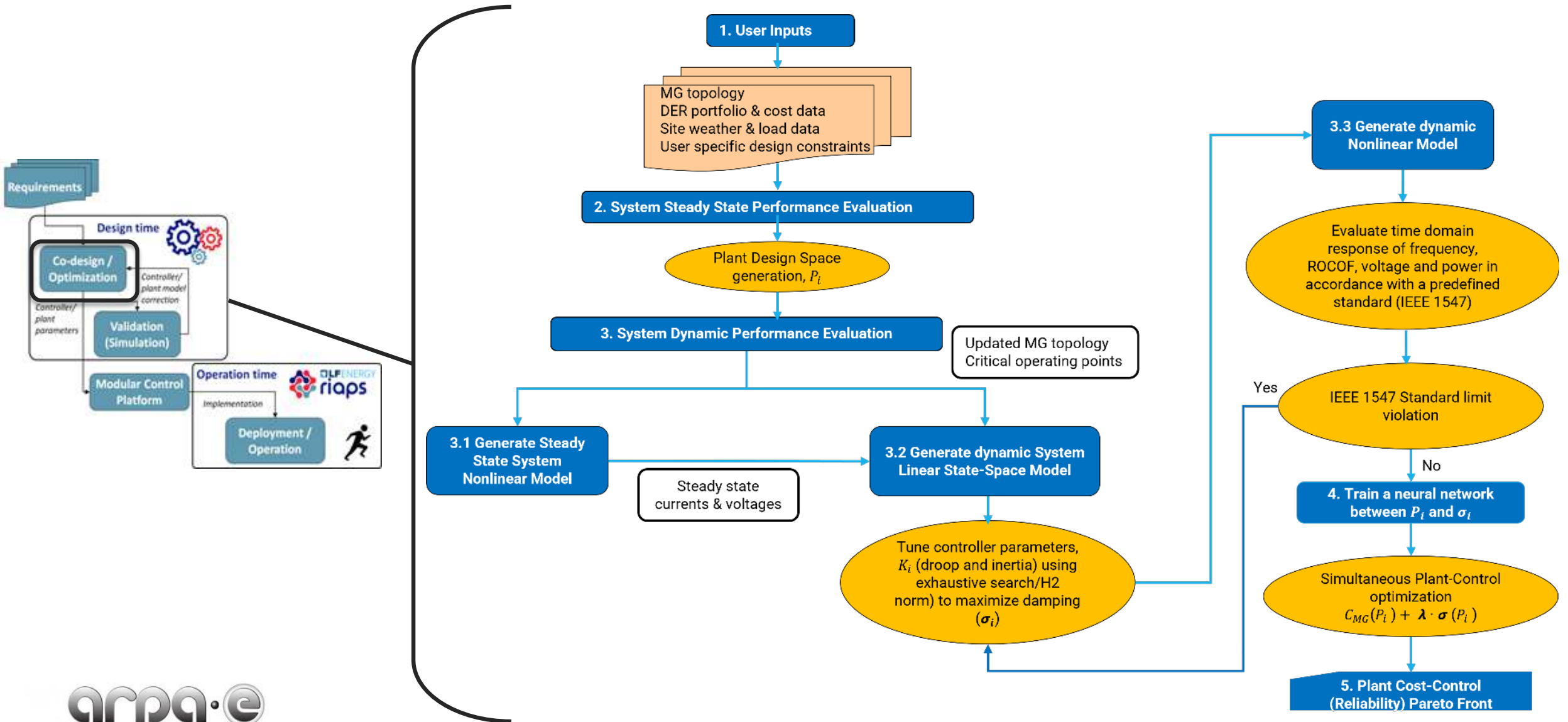
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- Design tool identifies low-cost, non-trivial MG design (plant & control)
- Validation tool verifies predicted performance and generates implementation, including code and configurations for control, communications and coordination
- Implementation is executed on MCP: ARPA-E funded open-source platform (RIAPS) extended with time sensitive networking capabilities [1]

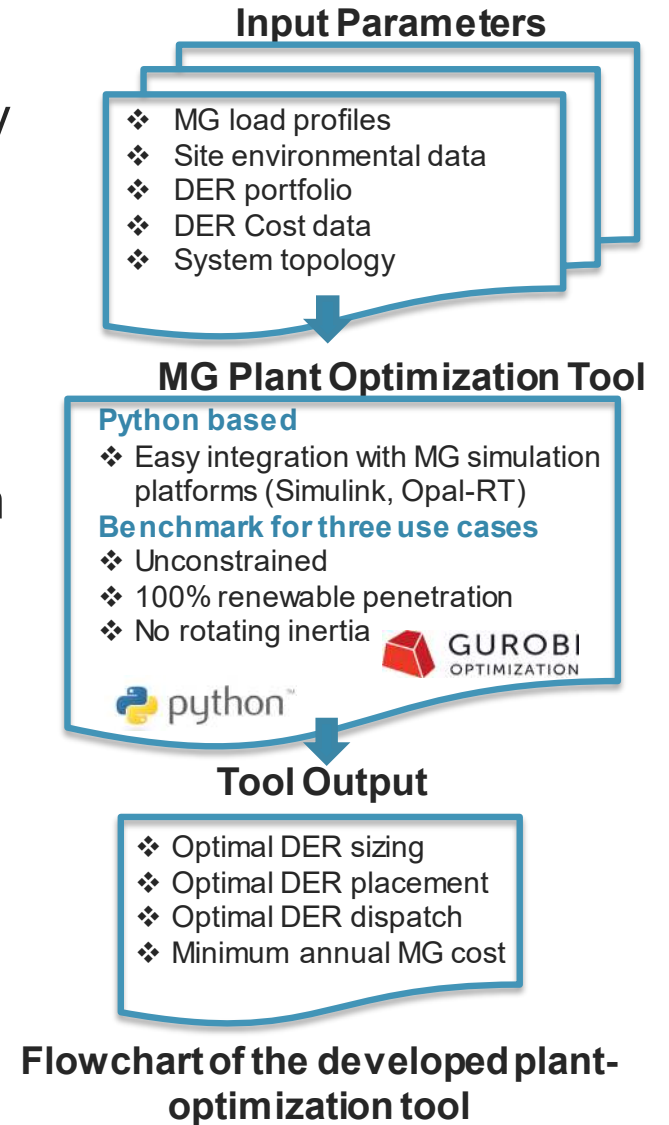
MCP: Modular Control Platform;
RIAPS: Resilient Information Architecture Platform for the Smart Grid



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- **Formulation type** Mixed Integer Linear Programming (MILP) [2, 3]
- **DER portfolio:** Photovoltaics (PV), diesel generators (DG), and battery energy storage systems (BESS)
- **Optimization period:** One year, 864 datapoints; Weekday, Weekend, and Peak day for each month on an hourly basis
- **Cost function:** Microgrid investment cost, operation cost and carbon emission cost
- **Constraints:** Power flow constraints, DER physical constraints, design constraints and reliability constraints [4]
- **Power Flow:** Lossless linearized distribution flow (LinDistFlow) [5]
- **Multiple Solutions:** PoolSolutions, Gurobi [6]



- **DER Portfolio:** One Diesel (3 MW), One BESS (1.75 MW, 7 MWh)
- **Maximum DER Installation at a given bus:** 1
- **DER power output at peak load:** Diesel (3 MW), BESS (0.29 MW)
- **Grid power exchange limit :** 1 MW
- **System peak load =** 4.29 MW

Solution Space

Feasible Solution

Infeasible Solution

		BESS location					
Bus		2	3	4	5	6	7
Diesel location	2						
	3						
	4						
	5						
	6						
	7						

Power limit of line connecting Bus 5 and Bus 6 is violated

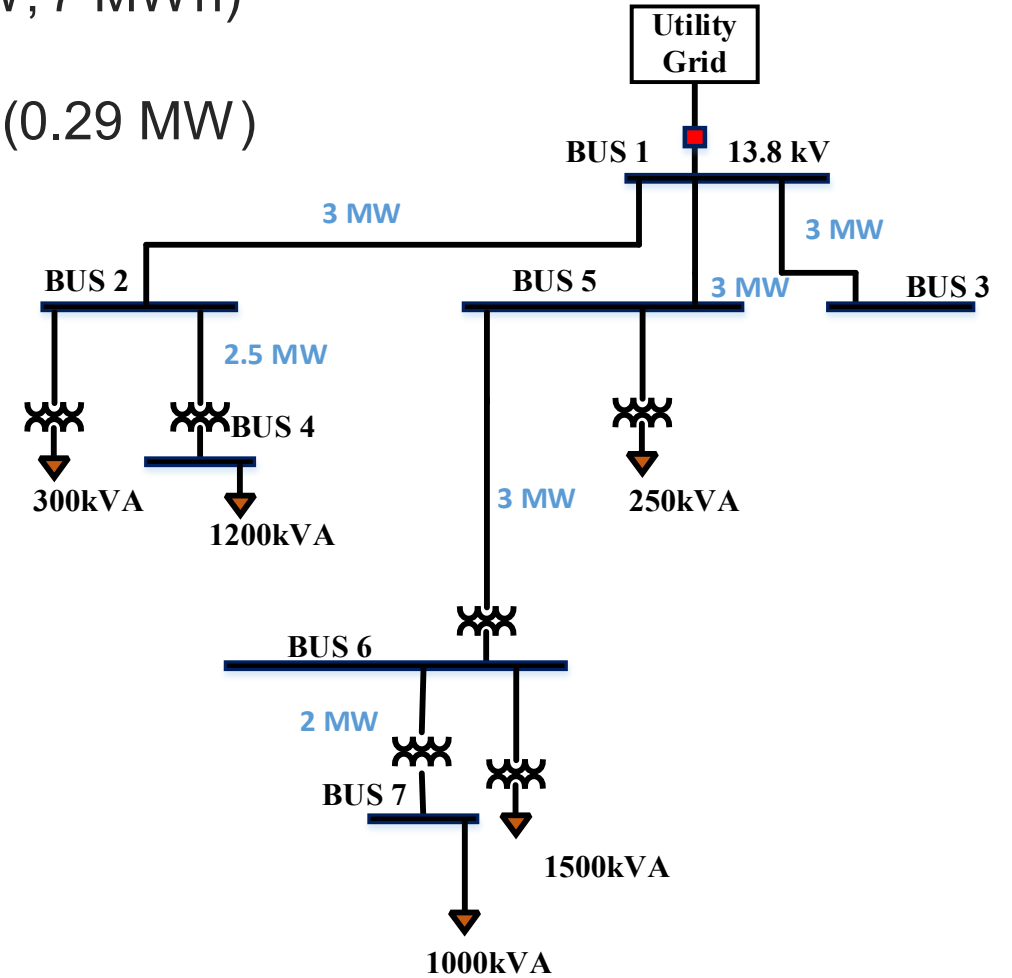
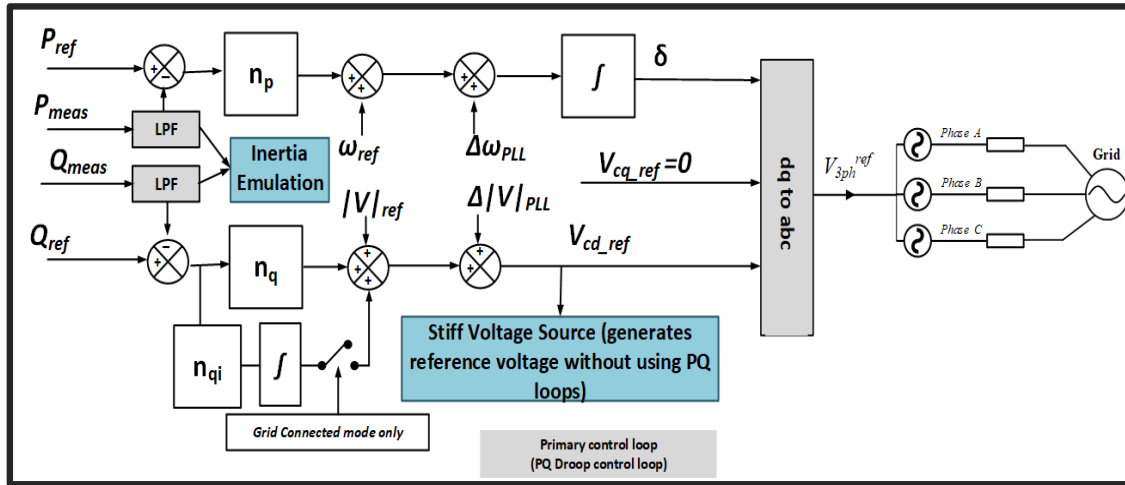
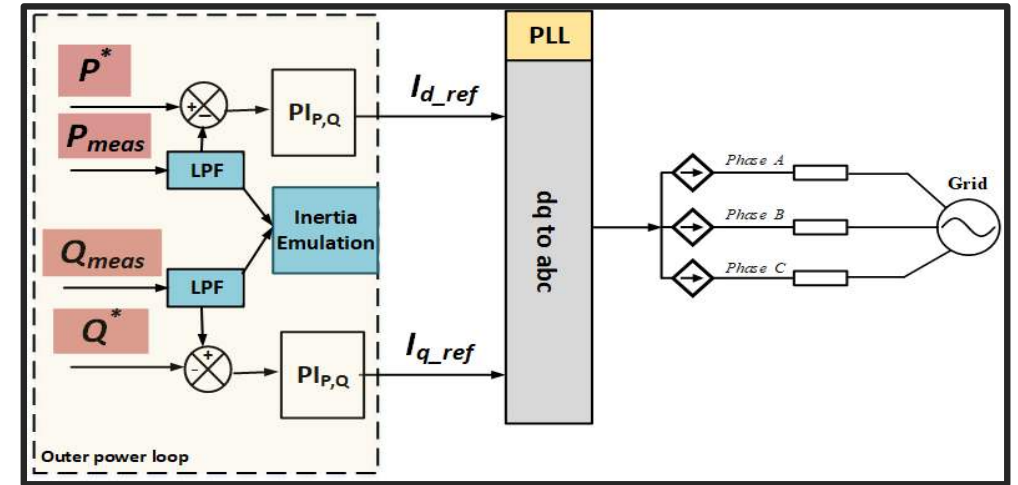


Fig. Feeder 1 of Banshee Microgrid

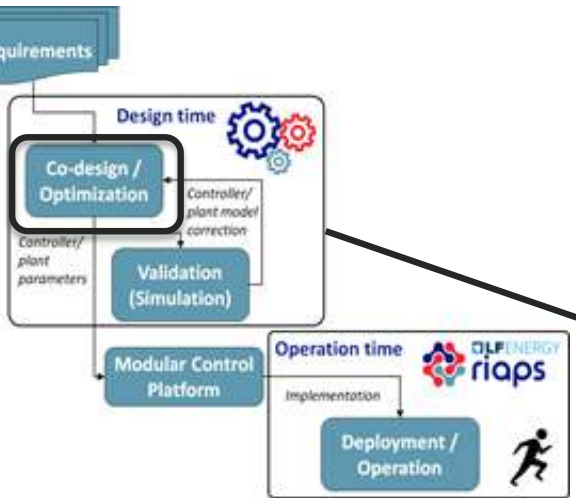
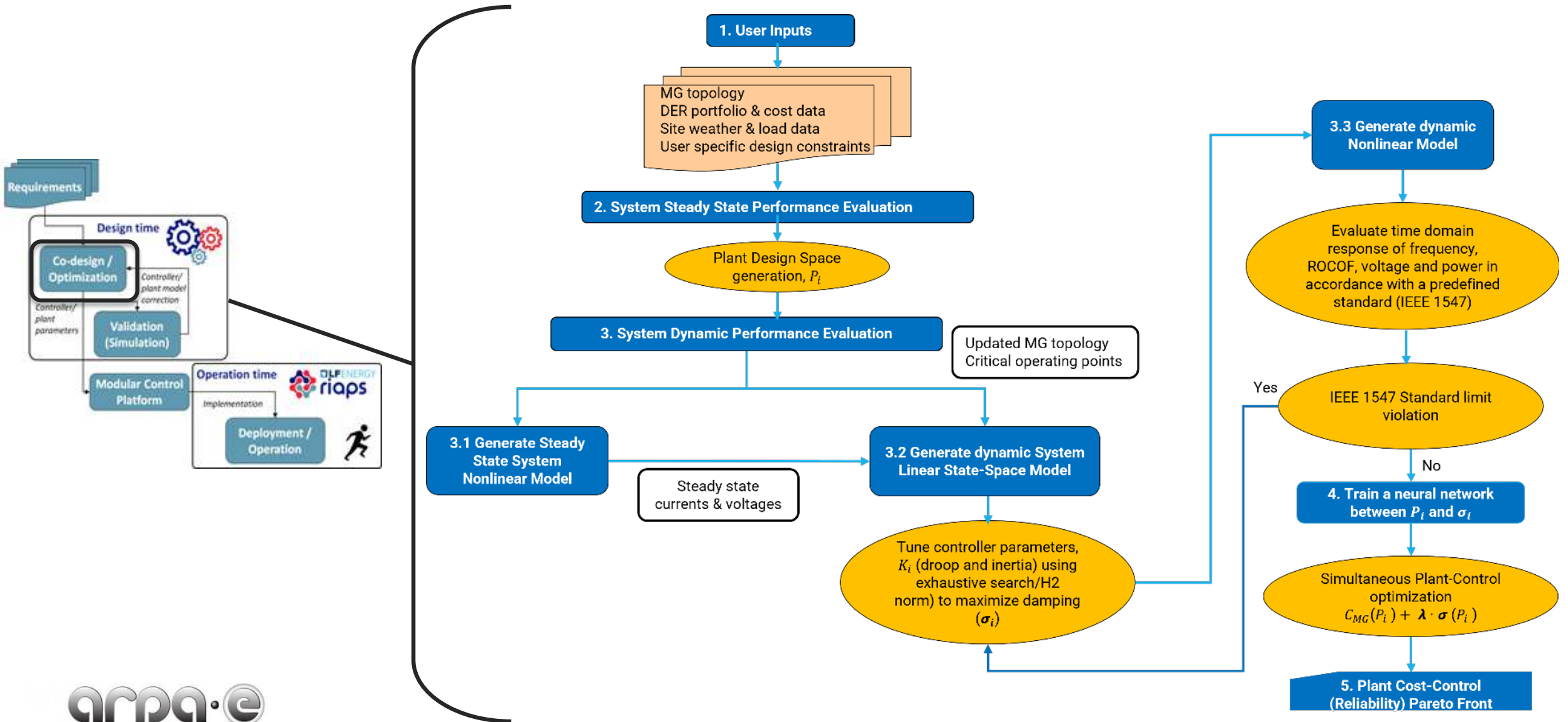
Simplified modeling of DERs with droop and LPF control loops



BESS (GFM)



PV (GFL)



- **Inputs:** System Topology, Load location, Generation Mix and DER setpoints
- **Nonlinear model outputs:**
 - Steady state operating point parameters (frequency, currents and voltages in the dq reference frame)
 - Time domain waveform using differential algebraic equations [6]
- **Model currently handles:** GFM and GFL with droop and LPF control loops and RL loads

Develop a **nonlinear dynamic model** of the microgrid having multiple **grid forming** inverters and loads

Inverter dynamics

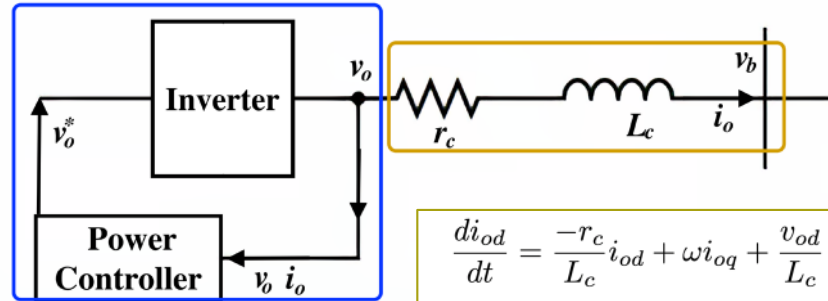


Figure 1: Inverter model

$$\frac{di_{od}}{dt} = \frac{-r_c}{L_c} i_{od} + \omega i_{oq} + \frac{v_{od}}{L_c} - \frac{v_{bd}}{L_c}$$

$$\frac{di_{oq}}{dt} = \frac{-r_c}{L_c} i_{oq} - \omega i_{od} + \frac{v_{oq}}{L_c} - \frac{v_{bq}}{L_c}$$

$$p = (v_{od}i_{od} + v_{oq}i_{oq}) \rightarrow P = p \cdot \frac{w_c}{s + w_c}$$

$$q = (v_{od}i_{oq} - v_{oq}i_{od}) \rightarrow Q = q \cdot \frac{w_c}{s + w_c}$$

$$\omega = \omega_n - mP, \dot{\delta} = w - w_{com}$$

$$v_{od} = v_{od}^* - nQ, v_{oq}^* = 0$$

State variable model for inverter

$$x_{inv} := [\delta, P, Q, i_{od}, i_{oq}]^T \in \mathbb{R}^5$$

$$y_{inv} := [V_{od}, V_{oq}, V_{bd}, V_{bq}]^T \in \mathbb{R}^4$$

$$\alpha_{inv} := [m, n, w_c, r_c, L_c]^T \in \mathbb{R}^5$$

Line current and load dynamics

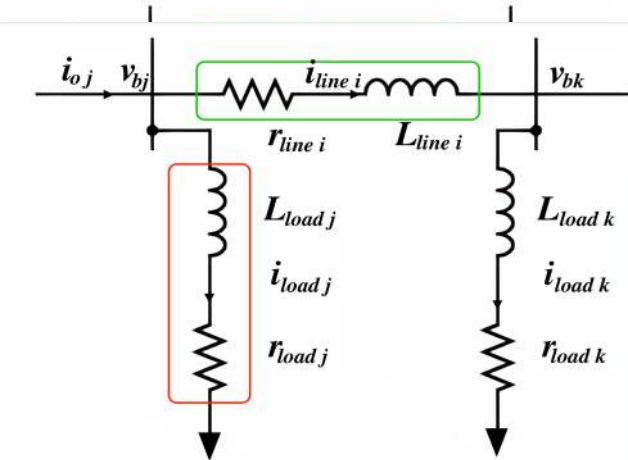


Figure 2: General network model with line and load internal dynamics

$$\frac{di_{lineDi}}{dt} = \frac{-r_{linei}}{L_{linei}} i_{lineDi} + \omega i_{lineQi} + \frac{v_{bDj}}{L_{linei}} - \frac{v_{bDk}}{L_{linei}}$$

$$\frac{di_{lineQi}}{dt} = \frac{-r_{linei}}{L_{linei}} i_{lineQi} - \omega i_{lineDi} + \frac{v_{bQj}}{L_{linei}} - \frac{v_{bQk}}{L_{linei}}$$

$$\frac{di_{loadDj}}{dt} = \frac{-r_{loadj}}{L_{loadj}} i_{loadDj} + \omega i_{loadQj} + \frac{v_{bDj}}{L_{loadj}}$$

$$\frac{di_{loadQj}}{dt} = \frac{-r_{loadj}}{L_{loadj}} i_{loadQj} - \omega i_{loadDj} + \frac{v_{bQj}}{L_{loadj}}$$

Power balance expression

$$v_{bDj} = r_N (i_{oDj} - i_{loadDj} + i_{lineDi})$$

$$v_{bQj} = r_N (i_{oQj} - i_{loadQj} + i_{lineQi})$$

State variable model for network

$$x_{net} := [i_{lineDi}, i_{lineQi}, i_{loadDj}, i_{loadQj}]^T \in \mathbb{R}^{2(n-1)}$$

$$y_{net} := [V_{bDj}, V_{bQj}, V_{bDk}, V_{bQk}]^T \in \mathbb{R}^n$$

$$\alpha_{net} := [r_{linei}, L_{linei}, r_{loadj}, L_{loadj}]^T \in \mathbb{R}^{4(n-1)}$$

- Takes the operating point information from the non-linear model to find the steady state operating point
- Linearize the DAEs around the operating point and eliminate the algebraic part to get the small-signal model
- Model Currently Used for Inverter Parameter Tuning using exhaustive search (alternative H2 norm optimization)

Algorithm 1: Eigenvalue Analysis

- 1 Find the eigenvalues (λ) of the parameterized small-signal model $A(\rho)$ matrix
- 2 Find the real part of the eigenvalue closest to the imaginary axis ($\lambda^* = -\min(|\text{Re}(\lambda)|)$)
- 3 Run an exhaustive search for

$$\max_{\rho} |\lambda^*| \quad \forall \quad \rho \in [\rho_{min}, \rho_{max}]$$

Algorithm 1: H_2 norm optimization

- 1 Assign $\rho^k \leftarrow \rho_o$ and choose $0 < \beta < 1$.
- 2 Apply a perturbation $\Delta\rho_i$ to the i th element of ρ^k .
- 3 Find the perturbation in $G(s)$ due to $\Delta\rho_i$
 $\Delta G_{\Delta\rho_i}^i = G_{\rho^k + \Delta\rho_i}^i - G_{\rho^k}^i = C_p^i (sI - A_p^i)^{-1} B_p^i$
- 4 The total perturbation of all parameters is
 $\Delta G_{\Delta\rho} = \sum_{i=1}^{2s} (\Delta G_{\Delta\rho_i}^i)$
- 5 Find the final perturbed transfer function
 $G_{\rho^k + \Delta\rho} = G_{\rho^k} + \Delta G_{\Delta\rho} = \bar{C}_p (sI - \bar{A}_p)^{-1} \bar{B}_p$
- 6 Solve the Lyapunov equation to get P
 $P\bar{A}_p + \bar{A}_p^T P + \bar{C}_p^T \bar{C}_p = 0$
- 7 With $\bar{B}_p = [B_1 \quad B_2]$, find descent direction
 $[\partial J / \partial \rho] = 2B_2^T P B_1$.
- 8 Compute $\rho^{k+1} = \rho^k - \beta[\partial J / \partial \rho]$.
- 9 Assign $\rho^k \leftarrow \rho^{k+1}$ and goto Step 2.

Develop **nonlinear dynamic model** of the microgrid

$$\begin{cases} \dot{x} = f(x, y, u; \alpha_c) \\ 0 = g(x, y, u; \alpha_c) \end{cases}$$

where,

$$x := [x_{inv}, x_{net}]$$

$$y := [y_{inv}, y_{net}]$$

$$u := [i_{inj}]$$

$$\alpha_c := [\alpha_{inv}, \alpha_{net}]$$

$$x_{inv} := [\delta, P, Q, i_{od}, i_{oq}]^T \in \mathbb{R}^5$$

$$y_{inv} := [V_{od}, V_{oq}, V_{bd}, V_{bq}]^T \in \mathbb{R}^4$$

$$\alpha_{inv} := [m, n, w_c, r_c, L_c]^T \in \mathbb{R}^5$$

$$x_{net} := [i_{lineDi}, i_{lineQi}, i_{loadDj}, i_{loadQj}]^T \in \mathbb{R}^{2(n-1)}$$

$$y_{net} := [V_{bDj}, V_{bQj}, V_{bDk}, V_{bQk}]^T \in \mathbb{R}^n$$

$$\alpha_{net} := [r_{linei}, L_{linei}, r_{loadj}, L_{loadj}]^T \in \mathbb{R}^{4(n-1)}$$

Find the **steady state operating points**

$$\begin{cases} 0 = f(x^*, y^*, 0; \alpha_c) \\ 0 = g(x^*, y^*, 0; \alpha_c) \end{cases}$$

Linearize the DAEs around the operating point and eliminate the algebraic part to get the **small-signal model**

$$\Delta \dot{x} = \frac{\partial f}{\partial x} \Delta x + \frac{\partial f}{\partial y} \Delta y + \frac{\partial f}{\partial u} \Delta u$$

$$0 = \frac{\partial g}{\partial x} \Delta x + \frac{\partial g}{\partial y} \Delta y + \frac{\partial g}{\partial u} \Delta u$$

$$\Delta \dot{x} = \left[\frac{\partial f}{\partial x} - \frac{\partial f}{\partial y} \left(\frac{\partial g}{\partial y} \right)^{-1} \frac{\partial g}{\partial x} \right] \Delta x$$

$$+ \left[\frac{\partial f}{\partial u} - \frac{\partial f}{\partial y} \left(\frac{\partial g}{\partial y} \right)^{-1} \frac{\partial g}{\partial u} \right] \Delta u$$

$$\Delta \dot{x} = A(\rho) \Delta x + B(\rho) \Delta u$$

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A single feeder of Banshee Network that requires seamless islanding and has critical loads that are ROCOF sensitive.

Description	Constraint/Metric
Component/System Limits	Power Flow
	DER Power and Capacity
	ROCOF Constraint
	Voltage Limits
	Frequency Limits
Resiliency	Seamless Islanding
Stability	Damping, ROCOF

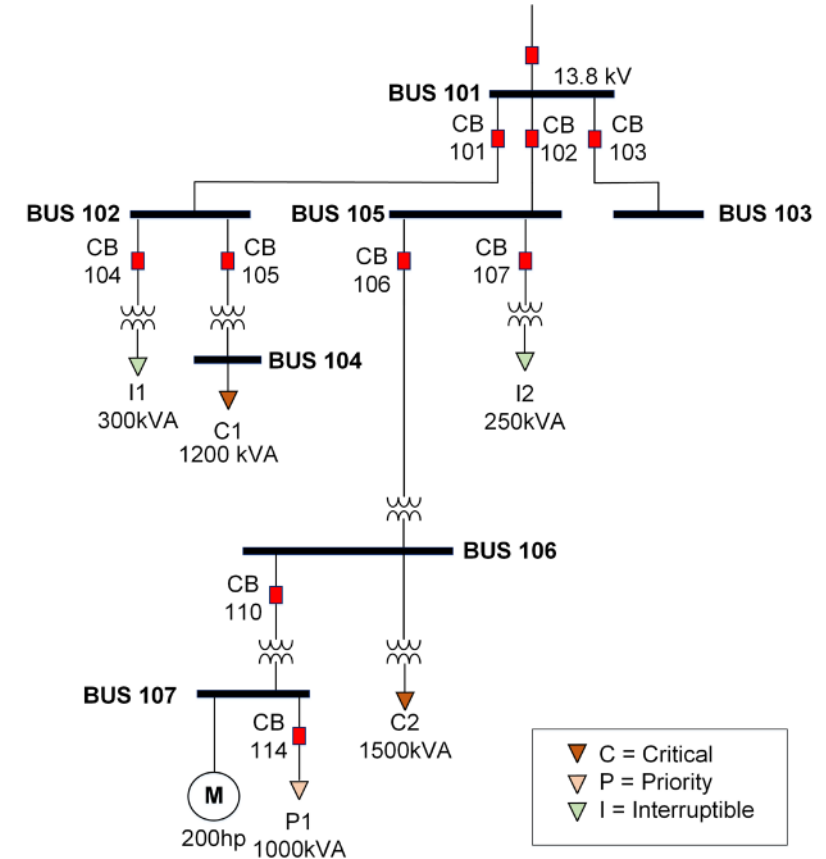
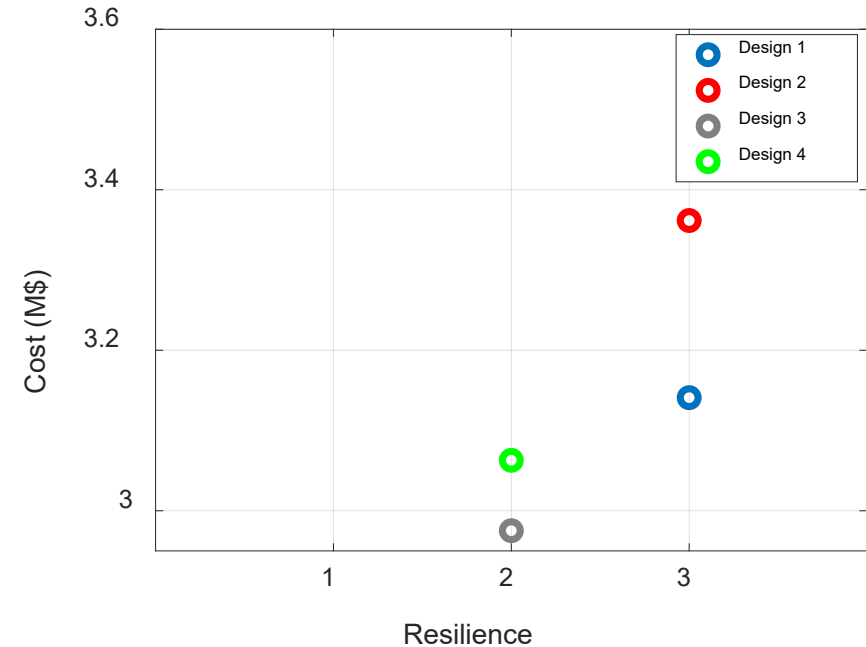


Fig. Feeder 1 of Banshee Microgrid [7]

Small-signal and time-domain evaluations are unique to MicroC3.

Plant Optimization formulation like DER-CAM

- Seamless islanding with no load shedding
 - Design 1: Generation exceeds load
 - Design 2: IBR (BESS) generation exceeds load
- Seamless islanding with no critical load shedding
 - Design 3: Generation exceeds critical load
 - Design 4: IBR (BESS) generation exceeds critical load



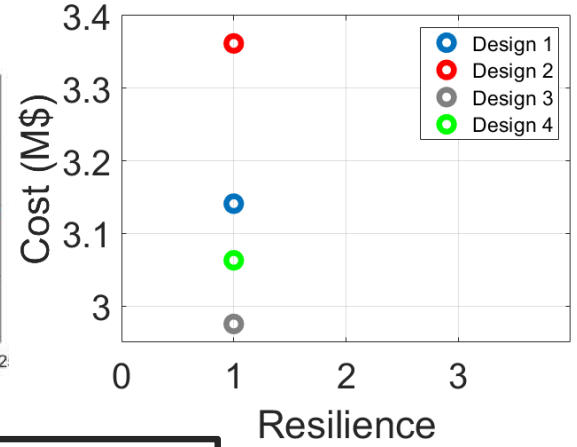
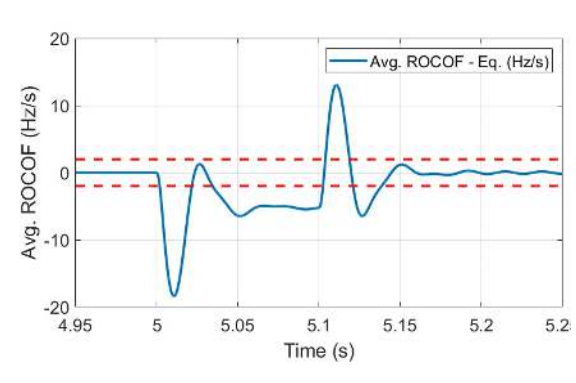
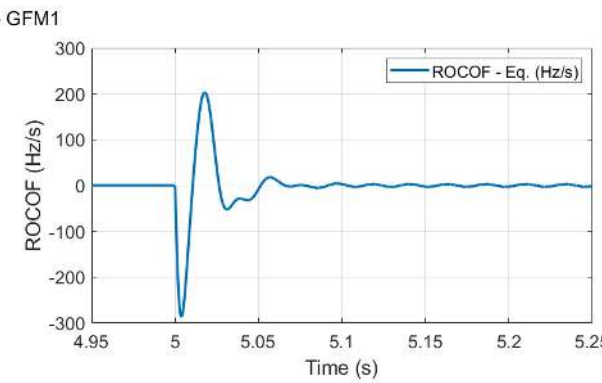
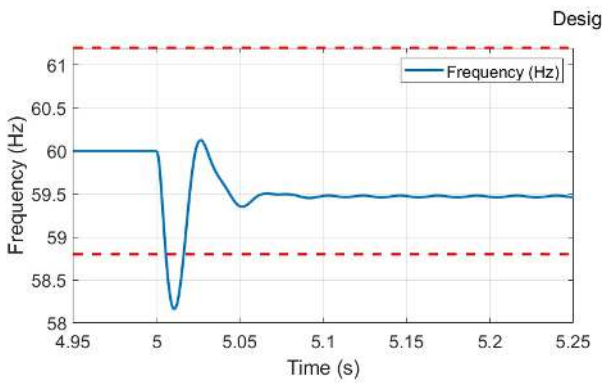
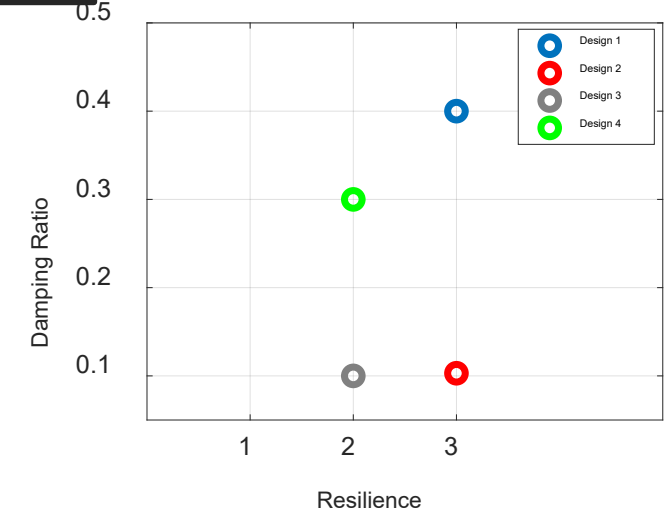
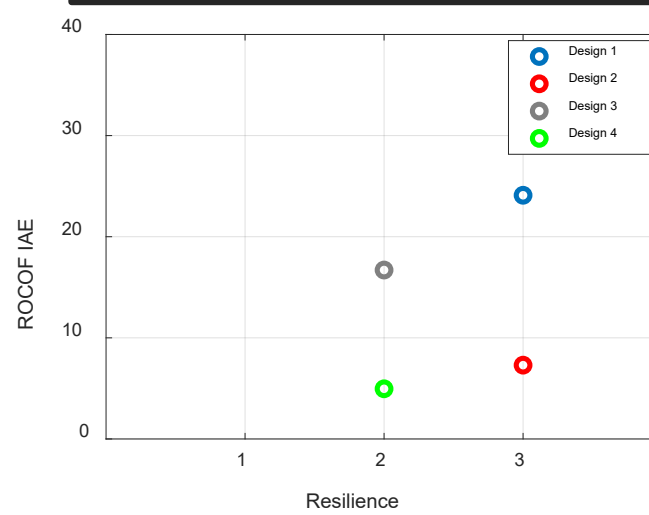
1: Blackout 3: Seamless Islanding
2: Seamless with load shedding

➤ Design1:

GFM1: Droop: $1e^{-5}$, LPF= 20 Hz

GFM2: Droop: $1e^{-6}$, LPF= 10 Hz

IAE – Integral Absolute Error



✗ : Old Design
○ : New Design

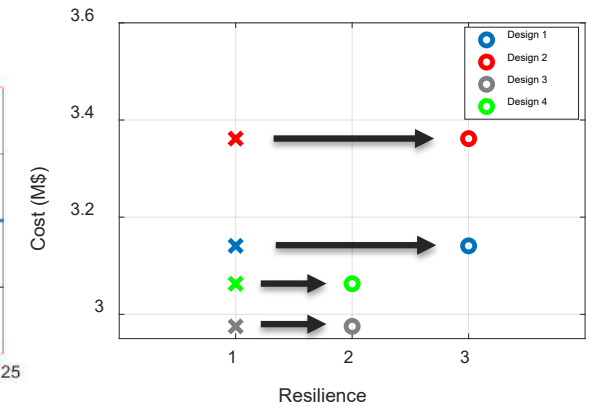
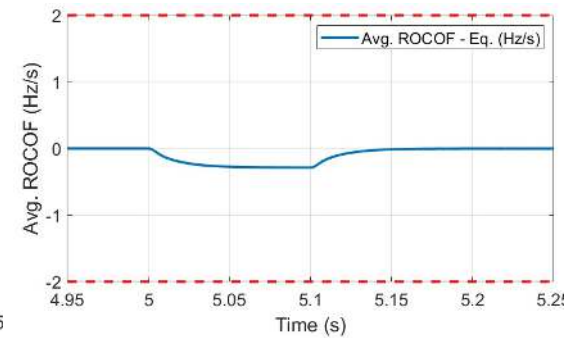
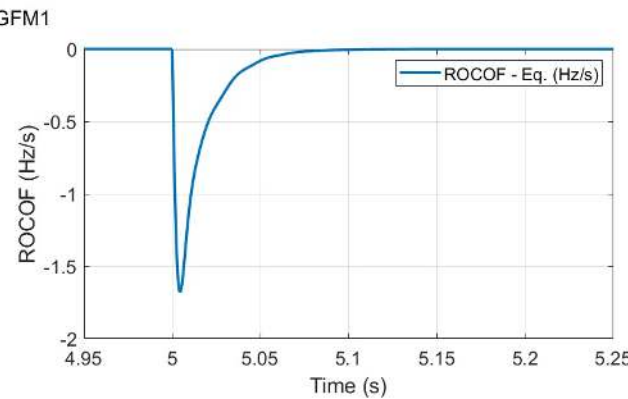
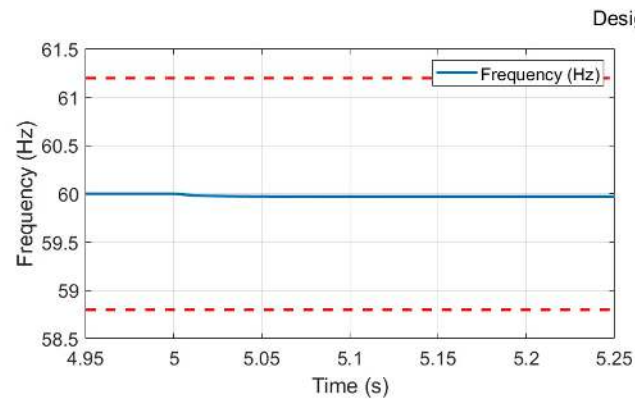
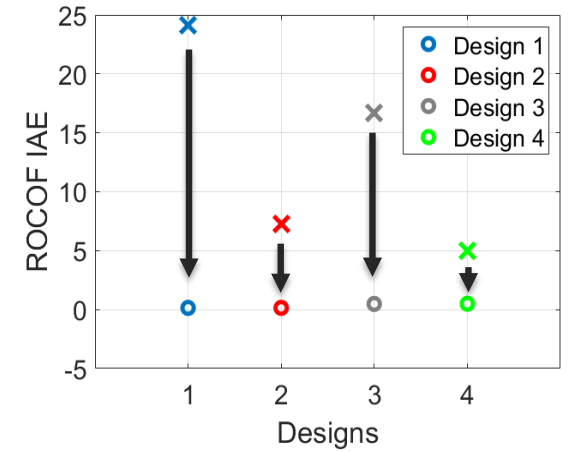
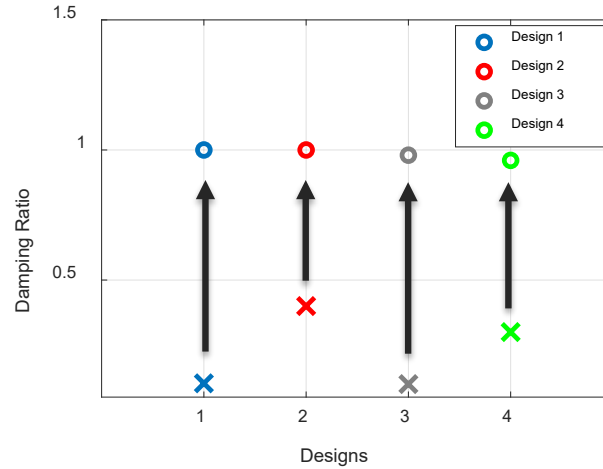
1: Blackout 3: Seamless Islanding
2: Seamless with load shedding

➤ Design1:

GFM1: Droop: $1e^{-7}$, LPF= 10 Hz

GFM2: Droop: $1e^{-7}$, LPF= 10 Hz

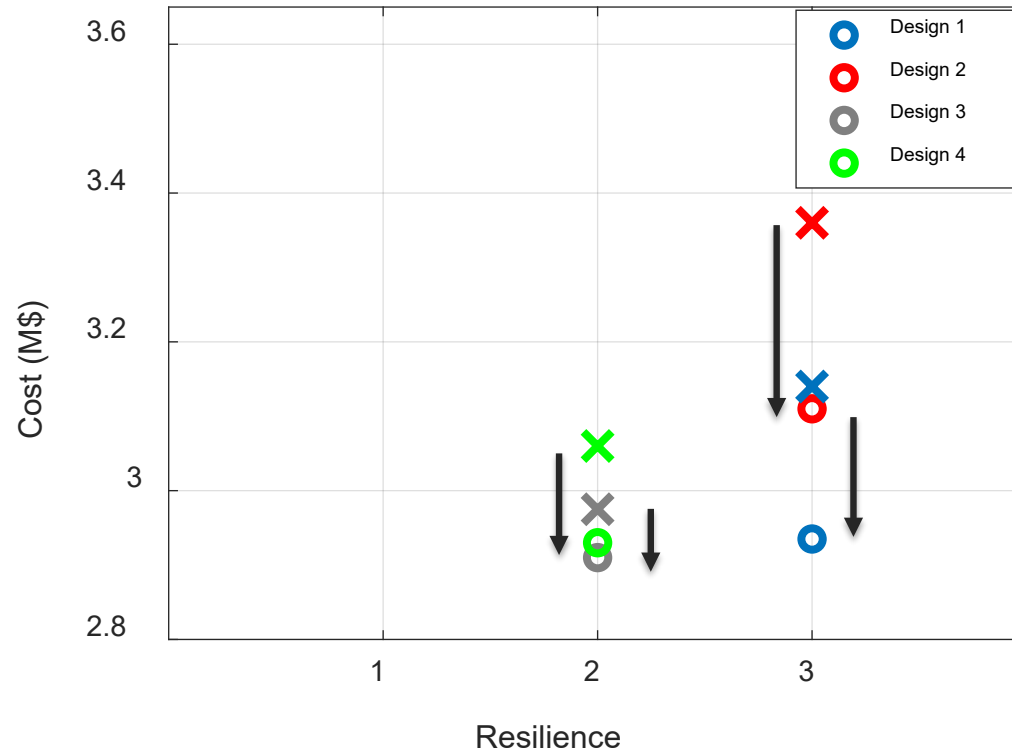
IAE – Integral Absolute Error



x : Old Design
o : New Design

1: Blackout **3**: Seamless Islanding
2: Seamless with load shedding

- ▶ Successfully scaled down the size of the DERs while still meeting the resiliency metrics



✕ : Old Design
○ : New Design

1: Blackout 3: Seamless Islanding
 2: Seamless with load shedding

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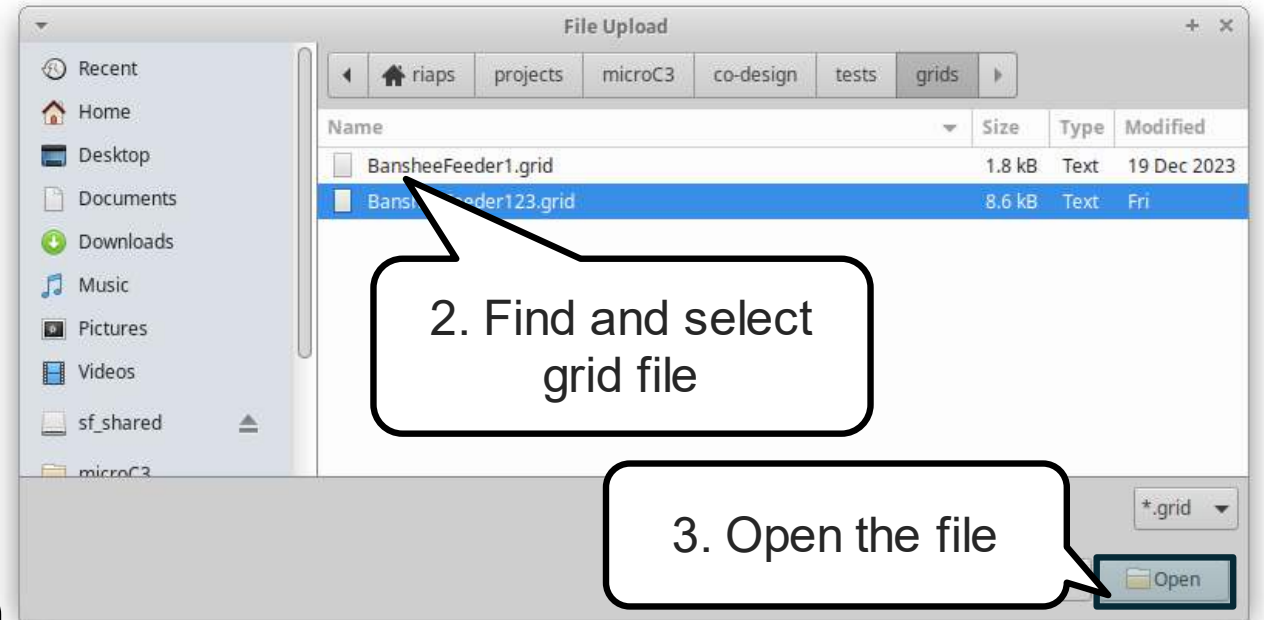
- Use detailed models for GFM and GFL
- Replace exhaustive search for controller tuning with H_2 norm
- Automate the plant design improvement step
- Modify plant optimization to include other DERs like wind turbine, flywheels, etc.

- [1] H. Tu, Y. Du, H. Yu, A. Dubey, S. Lukic and G. Karsai, "Resilient Information Architecture Platform for the Smart Grid: A Novel Open-Source Platform for Microgrid Control," in IEEE Transactions on Industrial Electronics, vol. 67, no. 11, pp. 9393-9404, Nov. 2020.
- [2] S. Mashayekh, M. Stadler, G. Cardoso, and M. Heleno, "A mixed integer linear programming approach for optimal der portfolio, sizing, and placement in multi-energy microgrids," Applied Energy, vol. 187, pp. 154–168, 2017
- [3] B. Yan, P. B. Luh, G. Warner, and P. Zhang, "Operation and design optimization of microgrids with renewables," IEEE Transactions on Automation Science and Engineering, vol. 14, no. 2, pp. 573–585, 2017.
- [4] M. Baran and F. Wu, "Optimal sizing of capacitors placed on a radial distribution system," IEEE Transactions on Power Delivery, vol. 4, no. 1, pp. 735–743, 1989.
- [5] Gurobi Optimization, LLC, "Gurobi Optimizer Reference Manual," 2023. [Online]. Available: <https://www.gurobi.com>
- [6] The MathWorks Inc., "vpasolve (R2012b)," Natick, Massachusetts, United States, 2012. [Online]. Available: <https://www.mathworks.com>
- [7] R. Salcedo, et al., "Banshee distribution network benchmark and prototyping platform for hardware-in-the-loop integration of microgrid and device controllers," The Journal of Engineering, vol. 2019, no. 8, pp. 5365–5373, 2019. [Online]. Available: <https://ietresearch.onlinelibrary.wiley.com/doi/abs/10.1049/joe.2018.5174>

Thank You!
Questions?



1. Opens File explorer to select grid file to upload

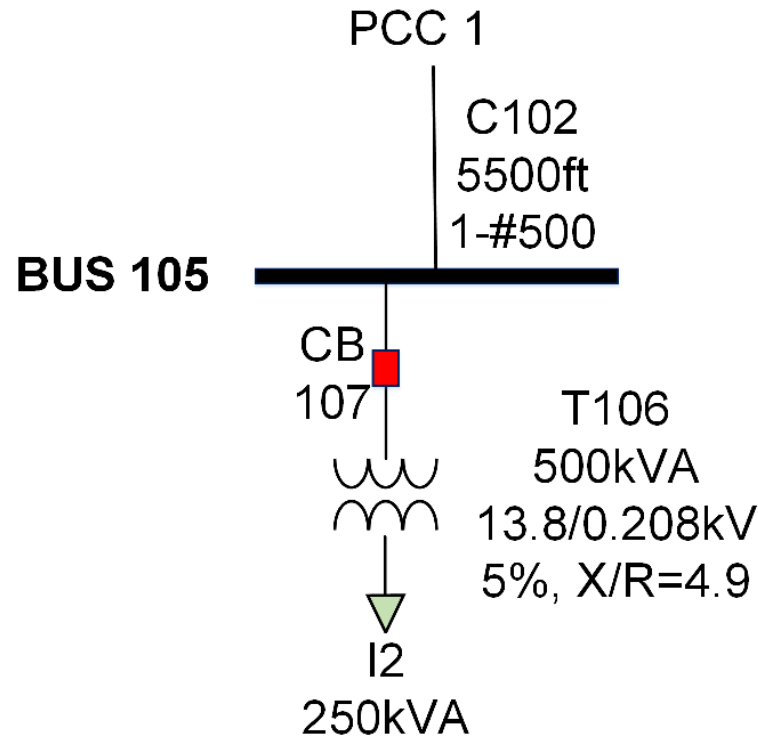


2. Find and select grid file

3. Open the file



4. Filename appears in dialogue



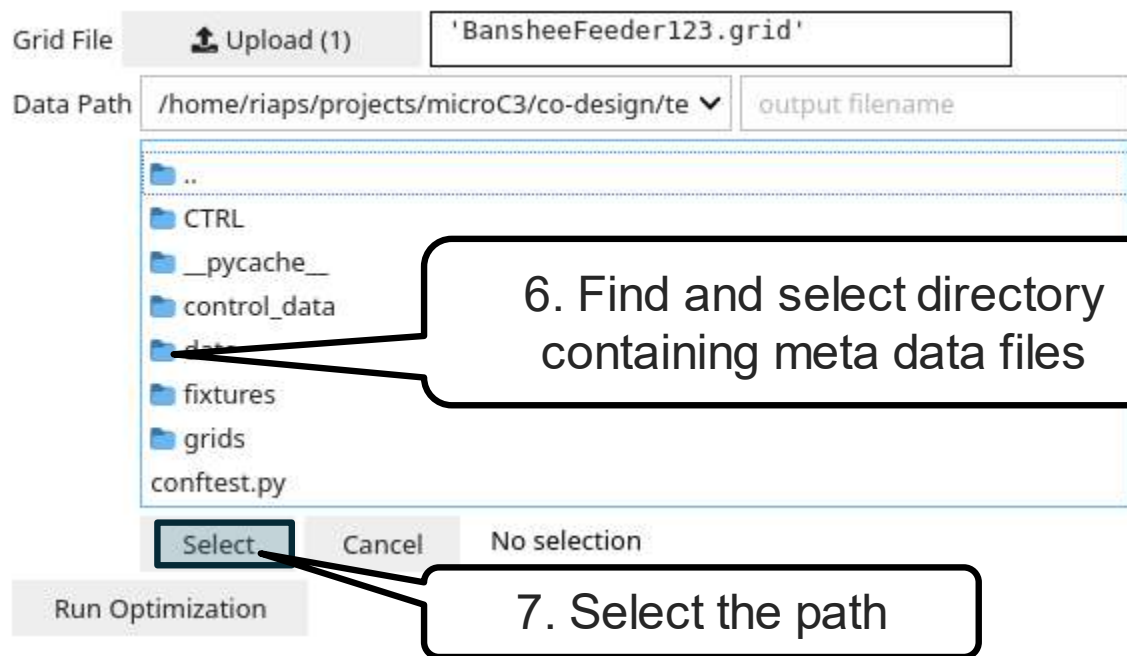
```

1  LineType 500kcm1 R 0.1206 X 0.1878
2
3  PCC PCC1 {
4      export limit 5.0 kW
5      import limit 100.0 MW
6      impedance R 0.05
7      impedance X 0.05
8  }
9
10 Line C102 {
11     connect PCC1 to BUS105
12     length 5500 ft
13     nominal ampacity 512 A
14     type 500kcm1
15 }
16
17 Bus BUS105 { voltage 13.8 kV }
18
19 Switch CB107 { term1 [BUS105] term2 [T106.primary_term] closed }
20
21 Transformer T106 {
22     rating 500 kVA
23     impedance 5.0%
24     XR_ratio 4.9
25     primary_voltage 13.8 kV
26     secondary_voltage 0.208 kV
27     primary_term [CB107.term2]
28     secondary_term [I2]
29 }
30
31 Load I2 { is_critical true }

```



5. Opens file chooser widget to select the data directory



6. Find and select directory containing meta data files

7. Select the path



8. Path appears in the dialogue



9. Runs the Codesign optimization toolchain



```

Grid File  'BansheeFeeder123.grid'
Data Path  /home/riaps/projects/microC3/co-design/tests/data/
Run Optimization  Verbose
Running optimization
PCC indices in bus variables: [0]
PCC variable indices: [0]
shape of electricalLoad: (7, 864)
Plant Optimization complete
Number of solutions found: 1
DG_alloc: [0. 0. 1. 0. 0. 0. 0.]
Batt_alloc: [0. 0. 0. 0. 0. 0. 1.]
PV_alloc: [0. 0. 0. 0. 0. 0. 0.]
objective: 5655343.30554272
Adding path /home/riaps/projects/microC3/co-design/src/coop/interfaces/mfunctions
Getting operating points for design 0
Run Matlab function
best_parameterization:
      BUS103  BUS107
mp  5.000000e-07  0.000004
wc  5.000000e+01  50.000000
Time taken for 0: 0 days 00:00:02.076982
Total time taken: 0 days 00:00:02.077110
Design 0. Cost: $5655343.31. Stability: -25.17.
    
```

Design ID
Estimated cost of the design

Design Stability metric

	DGs	Batteries	PVs
BUS101	0	0	0
BUS102	0	0	0
BUS103	1	0	0
BUS104	0	0	0
BUS105	0	0	0
BUS106	0	0	0
BUS107	0	1	0

Allocation of DERs to Buses in the solution

The metadata file contains:

- data for reading bus load and solar data files.
- Financial context parameters
- A list of bus names, where installing DERs is permissible.
- designation of a slack bus.
- Plant optimization constraints:
- Control optimization parameters

```
data:
  points_per_day: 24
  typical_days_per_year: 36
  num_points: 864
  load:
    path: "profilesAllNodesHourly.csv"
    units: "kW"
    headers: [0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20]
    header_names: [
      "BUS101", "BUS102", "BUS103", "BUS104", "BUS105", "BUS106", "BUS107",
      "BUS201", "BUS202", "BUS203", "BUS204", "BUS205", "BUS206", "BUS207",
      "BUS301", "BUS302", "BUS303", "BUS304", "BUS305", "BUS306", "BUS307"
    ]
    date_collected: "2023-12-01"
  weather:
    path: "weatherOneHour.csv"
    units: ["degC", "W/m2"]
    date_collected: "2023-12-01"
  financial:
    nominal_interest_rate: 0.041
    expected_inflation_rate: 0.01
    project_lifetime_years: 15
    CURTAILMENT_PENALTY_PER_KWH: 0.18
  ...
```

```
bus_names:
  - "BUS101"
  - "BUS102"
  - "BUS103"
  - "BUS104"
  - "BUS105"
  - "BUS106"
  - "BUS107"
slack_bus: "BUS101"
constraints:
  MAX_BUS_VOLTAGE_PU: 1.05
  MIN_BUS_VOLTAGE_PU: 0.90
  BATT_INI_SOC: 0.8
  CURTAIL_MAX: 0
  MAX_DGS: 6
  MAX_PVS: 0
  MAX_BATTERIES: 6
  ALLOWED_DER_MODELS: ["PV_1000_kW", "BATTERY_7000_kWh"]
control:
  NOMINAL_OPERATING_FREQUENCY: 60.0
  BUS_RESISTANCE_OHMS: 100000
  GRID_IMPEDANCE_RX_OHMS:
    - 0.000882
    - 0.001046942034994
  LOAD_OPERATING_VOLTAGE_V: 480
```